

Chapter 1 Basics of Geometry

Ch 1.1 Points, Lines and Planes

Undefined Terms:

- 1)
- 2)
- 3)

Points that lie on the same line are called _____

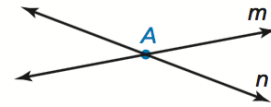
Points that lie on the same plane are called _____

Defined Terms:

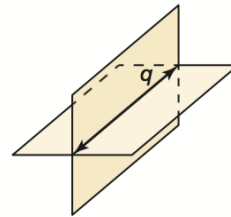
- 1)
- 2)
- 3)

Intersections:

The intersection of two different lines is a _____.

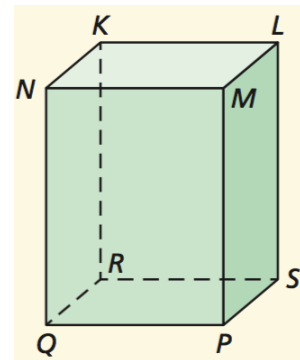


The intersection of two different planes is a _____.



Use the diagram and identify examples of the following:

- 1) a segment
- 2) a plane
- 3) intersection lines
- 4) intersecting planes
- 5) a point not in a plane
- 6) a line not in a plane



Always, Sometimes, Never

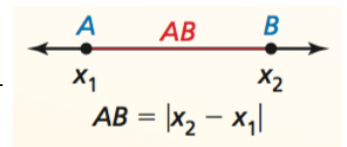
- 1) A line _____ has endpoints.
- 2) A line and a point _____ intersect.
- 3) A plane and a point _____ intersect.
- 4) Two planes _____ intersect in a line.
- 5) Any three points _____ determines a plane.
- 6) Two lines that are not parallel _____ intersect.

Ch 1.2 Measuring and Constructing Segments

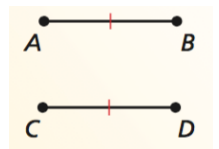
Postulate: _____

Theorem: _____

Distance: _____



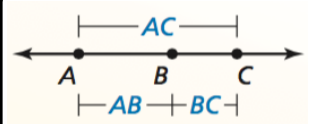
Congruent segments: _____



Between: _____



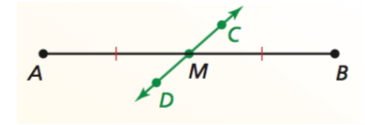
<p>Segment Addition Postulate</p>	
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Ch 1.3 Using Midpoint and Distance Formulas



Midpoint: _____

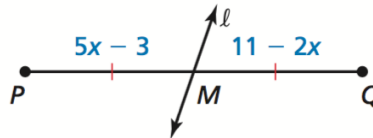


Segment Bisector: _____

Example:

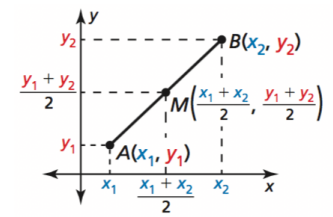
x =

PM =



Midpoint Formula

$$M\left(\quad , \quad \right)$$



Compute the following.

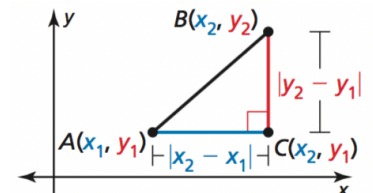
- 1) Midpoint of A(1, 2) and B(7, 8)

- 2) Midpoint of C(-4, 3) and D(-6, 5)

- 3) The midpoint of a segment VW is M(-1, -2) and one endpoint is W(4, 4). Determine the coordinate of V.

Distance Formula

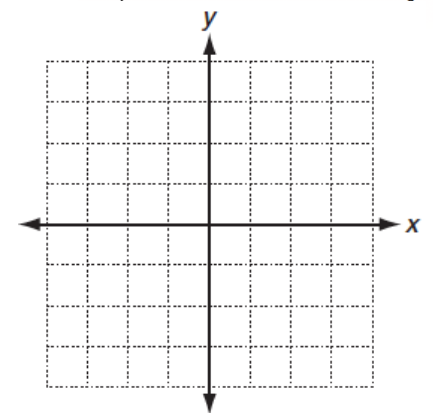
AB =



Example: Compute the distance between the following points:

$(x_1, y_1) = (2, 3)$

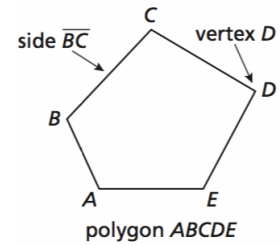
$(x_2, y_2) = (4, -1)$



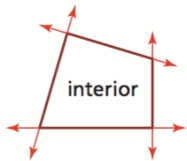
Ch 1.4 Perimeter and Area in the Coordinate Plane

Properties of a Polygon:

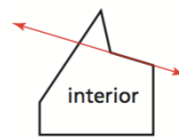
Number of Sides	Type of Polygon	Number of Sides	Type of Polygon
3		8	
4		9	
5		10	
6		12	
7		n	



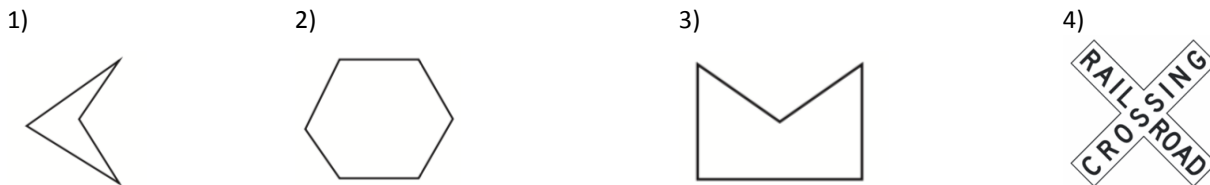
Convex Polygon:



Concave Polygon:

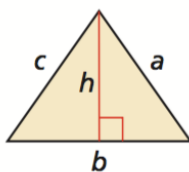


Classify these polygons by type and convex or concave:



Perimeter and Area

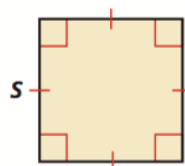
Triangle



P =

A =

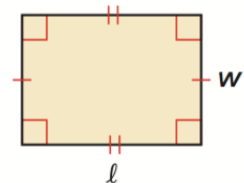
Square



P =

A =

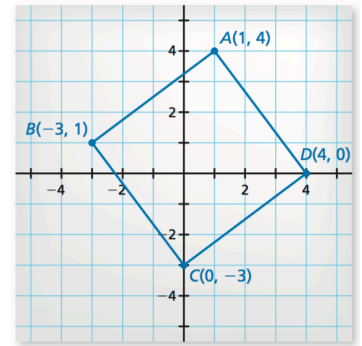
Rectangle



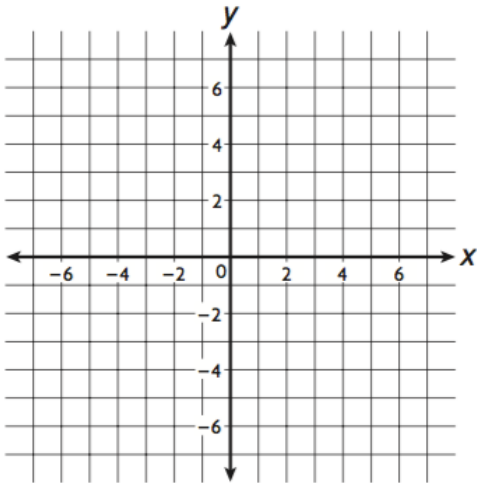
P =

A =

Example: Calculate the perimeter and area of the figure on the right.



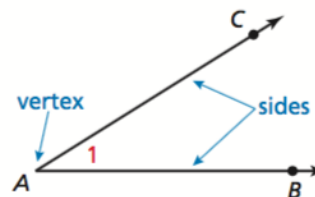
Example: Calculate the perimeter and area of the quadrilateral EFGH, in which E(-3, 6), F(-7, 3), G(-1, -5), H(3, -2).



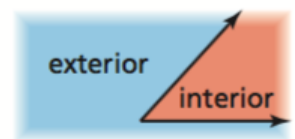
Ch 1.5 Measuring and Constructing Angles

Vocabulary

angle:



angle interior:



Naming an angle

Use the vertex:

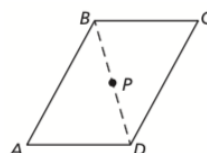
Use a point on each ray and the vertex:

Use a number:

Examples of

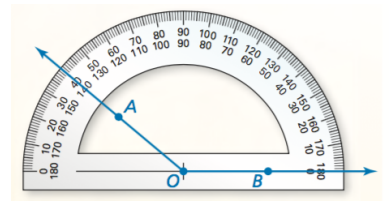
Ambiguous angle name:

Unambiguous angle name:



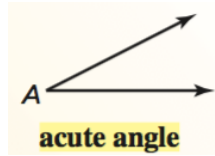
Measure of an Angle

The measure of _____, also written _____, is the difference of the angles of the rays _____ and _____ on a protractor.

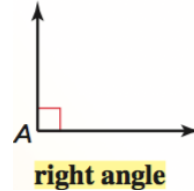


Types of Angles

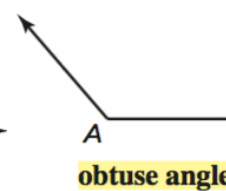
acute:



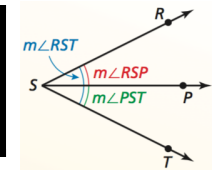
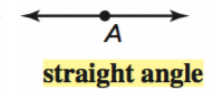
right:



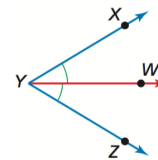
obtuse:



straight:



angle bisector:

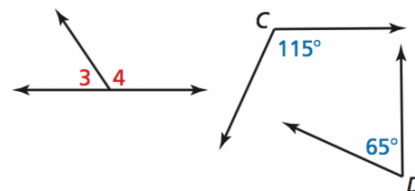
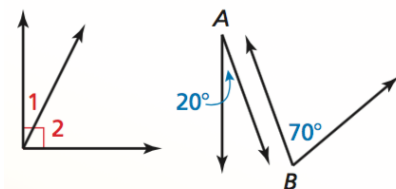


Ch 1.6 Describing Pairs of Angles

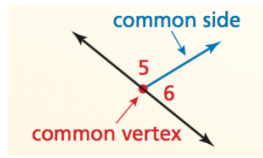
Vocabulary

complementary angles:

supplementary angles:

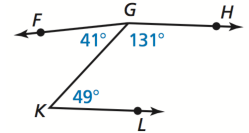


adjacent angles:



Example

1. Using the diagram to the right, name a pair of complementary angles, supplementary angles, and a pair of adjacent angles.

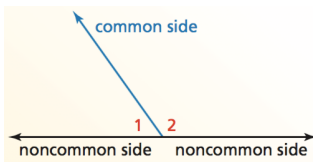


2. Assume _____ is a complement of _____, and _____, Determine _____.

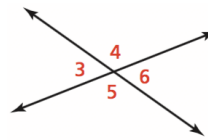
3. Assume _____ is a supplement of _____, and _____, Determine _____.

Vocabulary

linear pair:

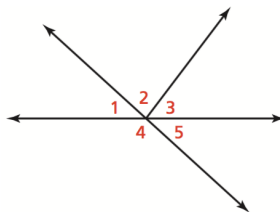


vertical angles:



Example

1. Name the vertical angles

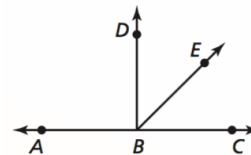


2. Name the linear pairs

Interpreting a Diagram

Using the diagram to the right.

We can assume:



We cannot assume: